

# PUBLICATION LIST OF P. RÉVÉSZ

## A. BOOKS:

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2. *Strong Approximations in Probability and Statistics* Akadémiai Kiadó and Academic Press, 1981. (Csörgő M.)
3. *Random walk in random and non-random environments* World Scientific Publishing Co. 1990.
4. *Random walks of infinitely many particles* World Scientific Publishing Co. 1994.
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## B. PAPERS:

- 1a. A Borsuk-féle feldarabolási problémához *Matematikai Lapok* **7** (1956) 108-111. (Heppes A.)
- 1b. Zum Borsukschen Zerteilungsproblem *Acta Math. Acad. Sci. Hung.* **7** (1956) 159-162. (Heppes A.)
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13. Probabilistic solution of problem 111. of G. Birkhoff *Acta Math. Acad. Sci. Hung.* **13** (1962) 187-198.
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16. On sequences of quasi-equivalent events I *MTA Mat. Kut. Int. Közl.* **8. A.** (1963) 73-83.
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19. On the statistical properties of the Walsh functions *MTA Mat. Kut. Int. Közl.* **9. A.** (1964) 543-554. (M. Wschebor)
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